

Using Photons to Find (or Not Find) Supermassive Binary Black Holes

Julian Krolik

Johns Hopkins University

with thanks to: Cole Miller, Scott Noble, Constanze Roedig, Jeremy Schnittman, Ji-Ming Shi

Electromagnetism—the Wonder Force

Spin 1, massless excitations 10^{36} x gravity!

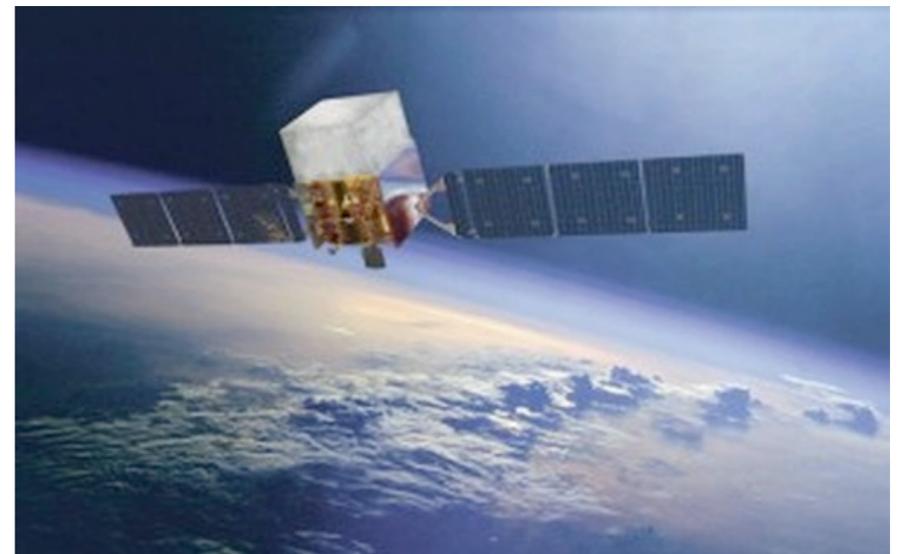
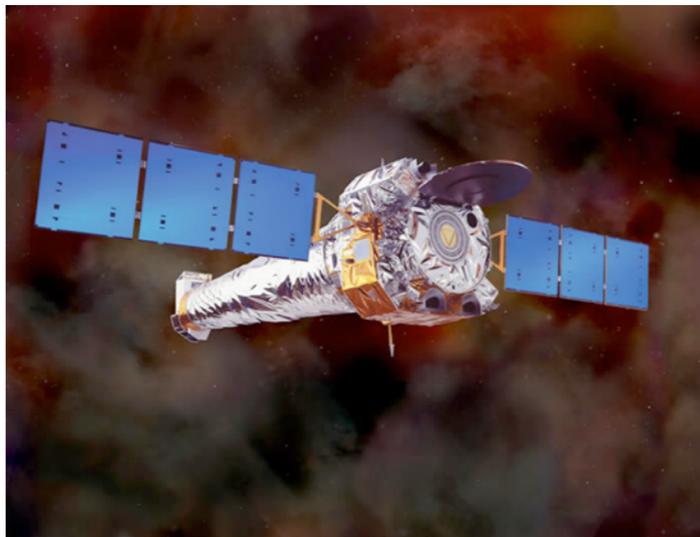
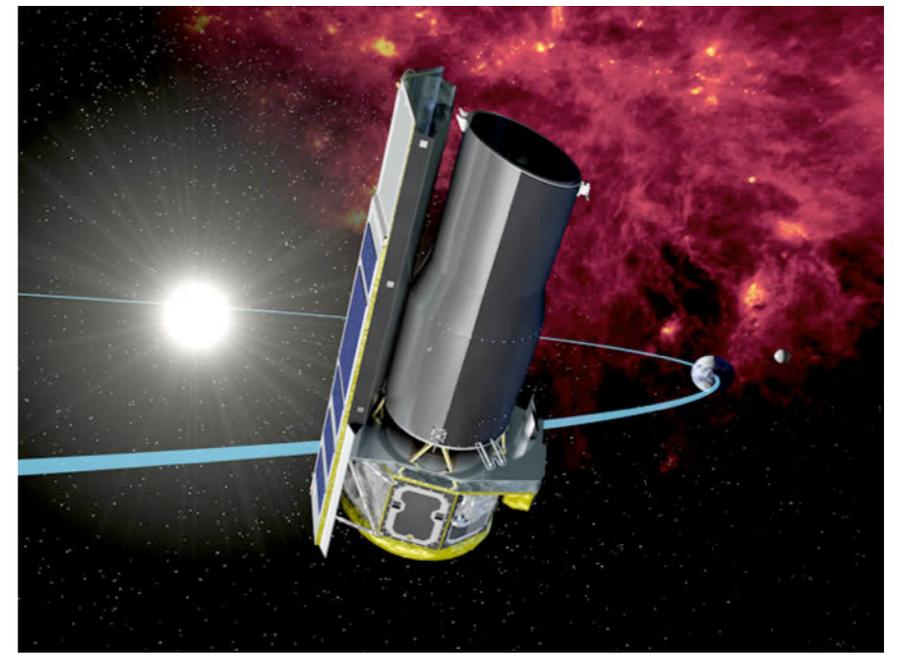
Some charge carriers with rest-mass only 5×10^{-4} GeV—>
very easily accelerated

Broad-band scattering from common materials—>
focusing optics, wave optics spectroscopy

Significant inelasticity in scattering—> Easy detection

eLISA launch: 2034??

Multiple photon telescopes operational NOW



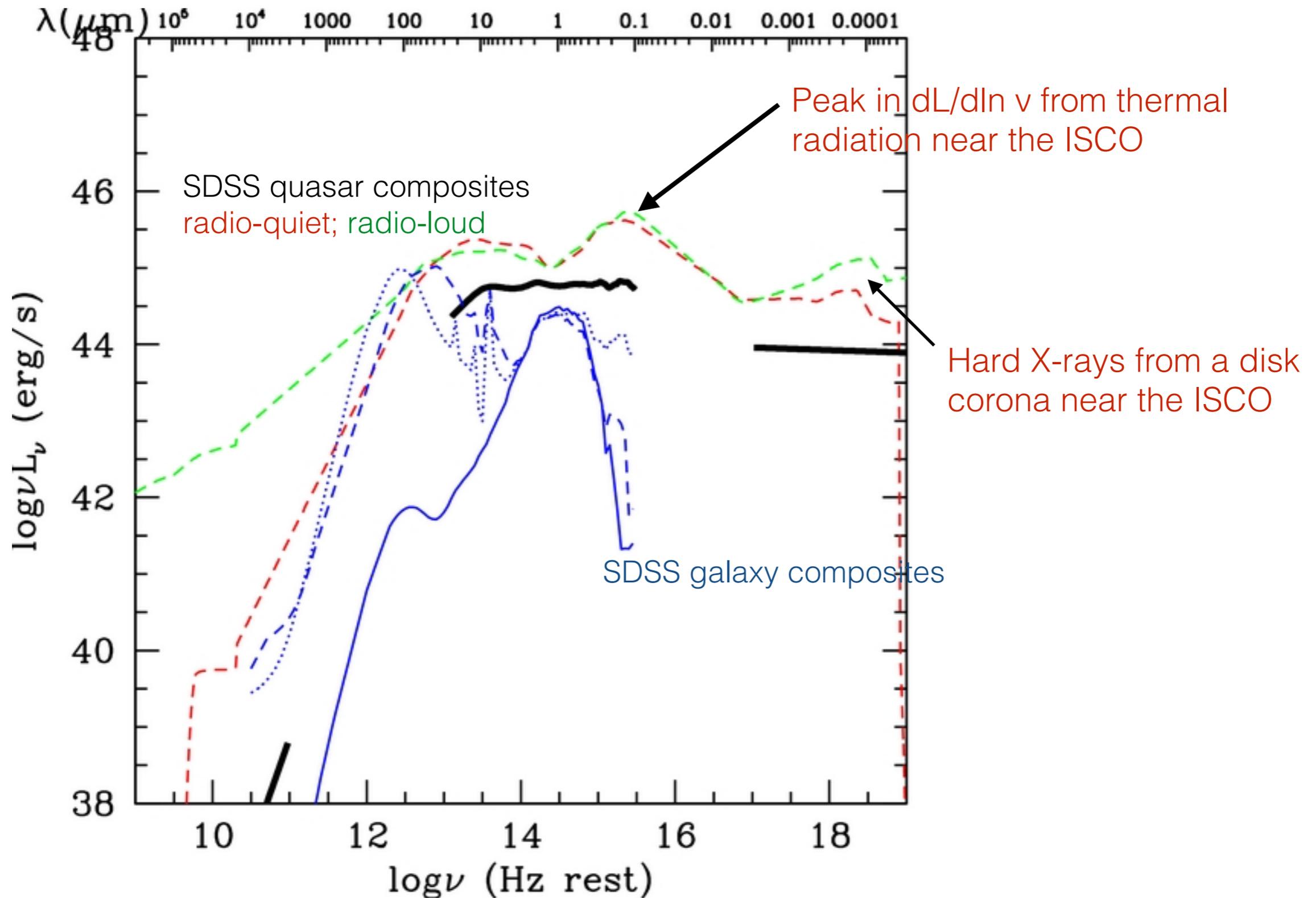
Problem: Distinguishing Binary from Solitary Supermassive Black Holes

Features of solitary supermassive black holes:

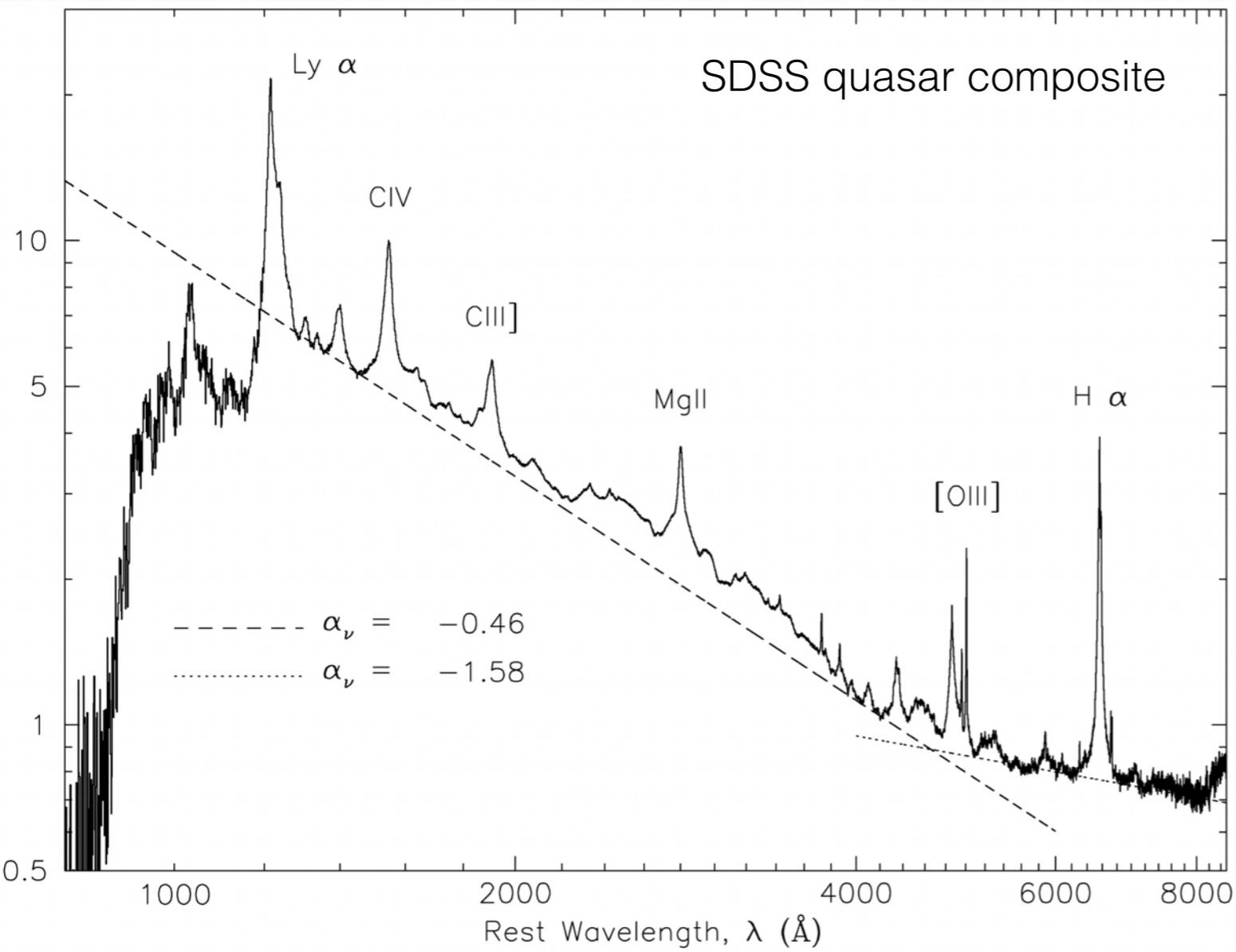
Most dark, detectable only inferentially via gravitational effects on surrounding stars or by weak radio/sub-mm emission (next talk)

At present, several percent extremely bright (AGN: quasars, Seyfert galaxies, etc.); sometimes extended jets, particularly visible in radio

$dL/d \ln \nu \sim \text{const.}$ from $\sim 100 \mu$ to $\sim 100 \text{ keV}$ + weaker radio;
for some, substantial power to $\sim \text{TeV}$

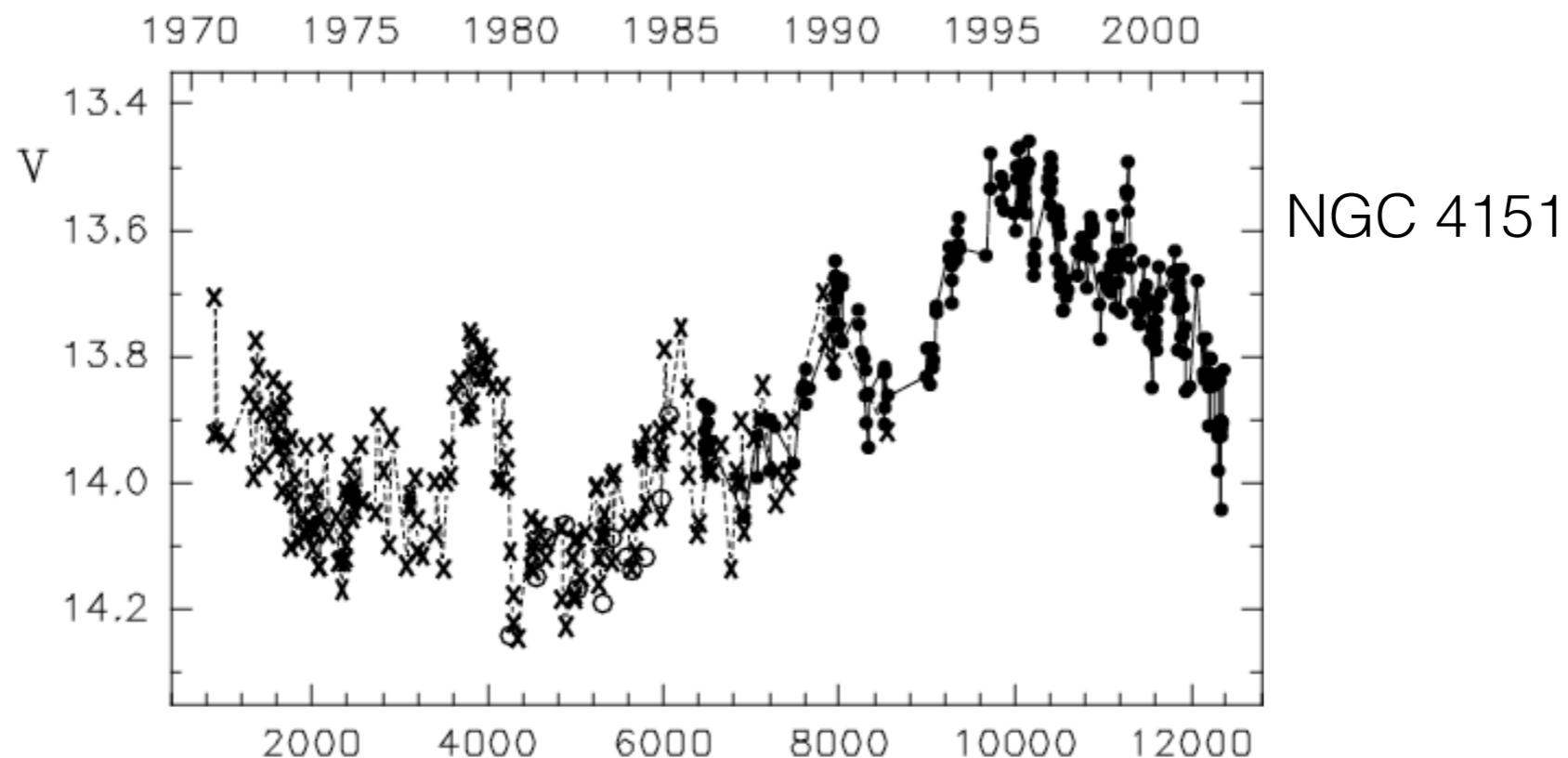
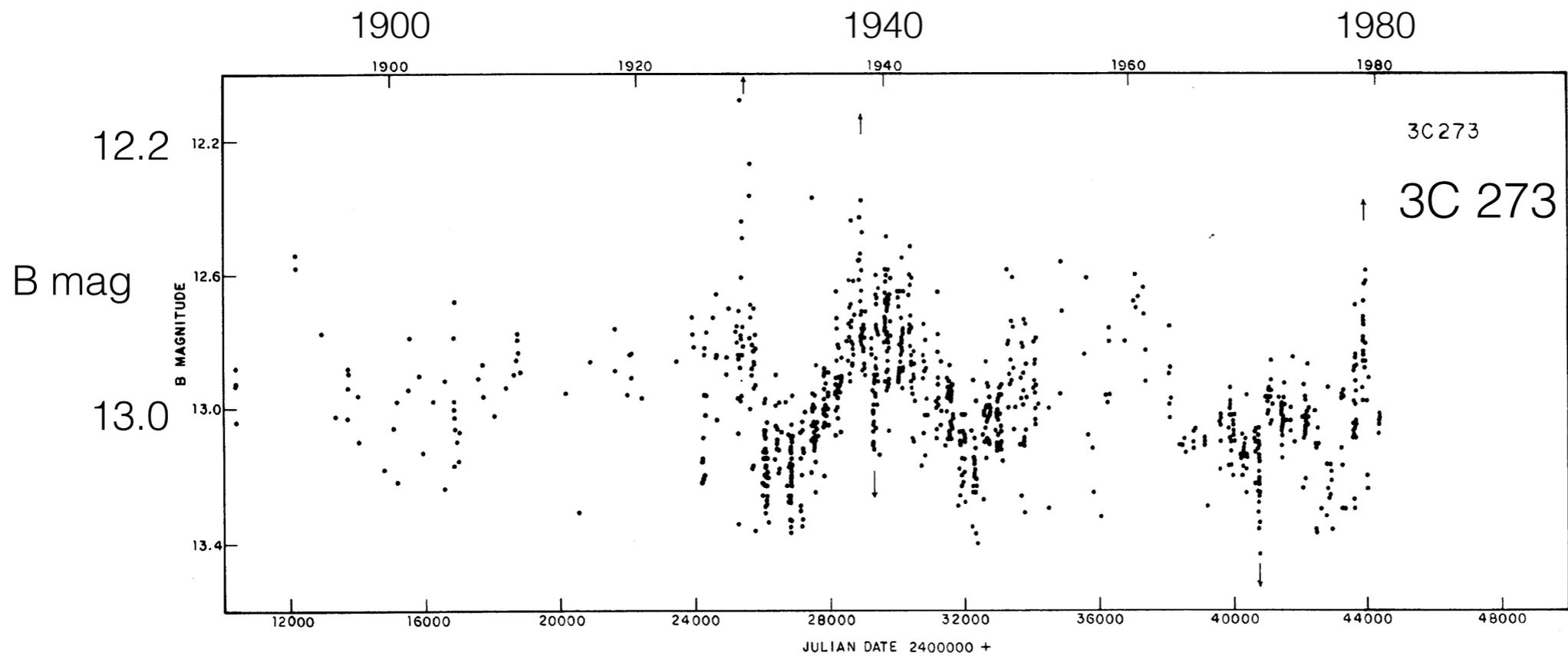


Emission lines: optical/UV, $\Delta v/c \sim 10^{-3}$; often also $\sim 10^{-2}$;
6.4 keV Fe $K\alpha$, $\Delta v/c \sim 1$



If motions of broad line material are gravitational (?), $r_{\text{BLR}} \sim 10^4 r_g$

Variable: “red noise” power spectra;
for some, larger, coherent fluctuations



How Binary Supermassive Black Holes Might Differ

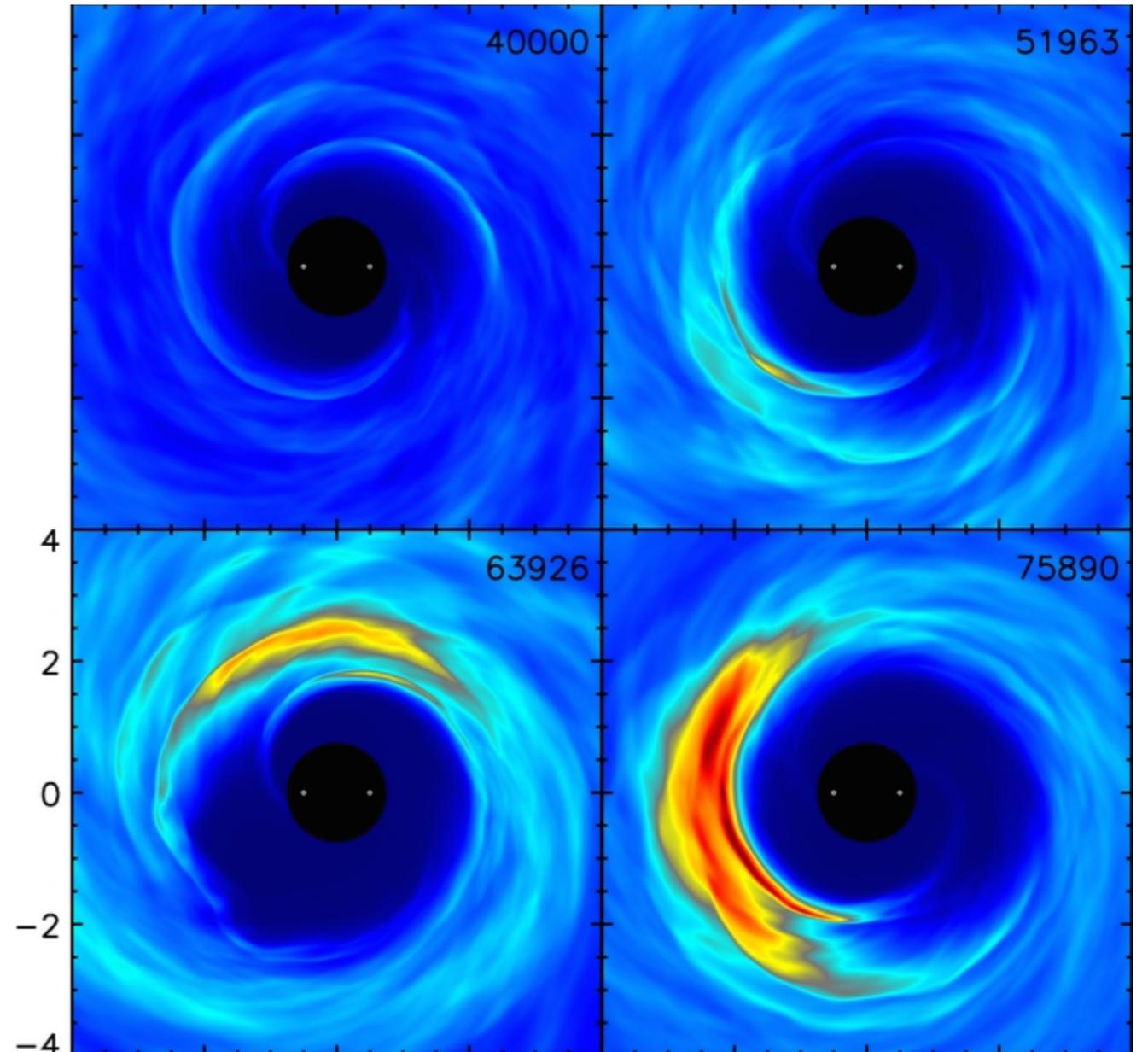
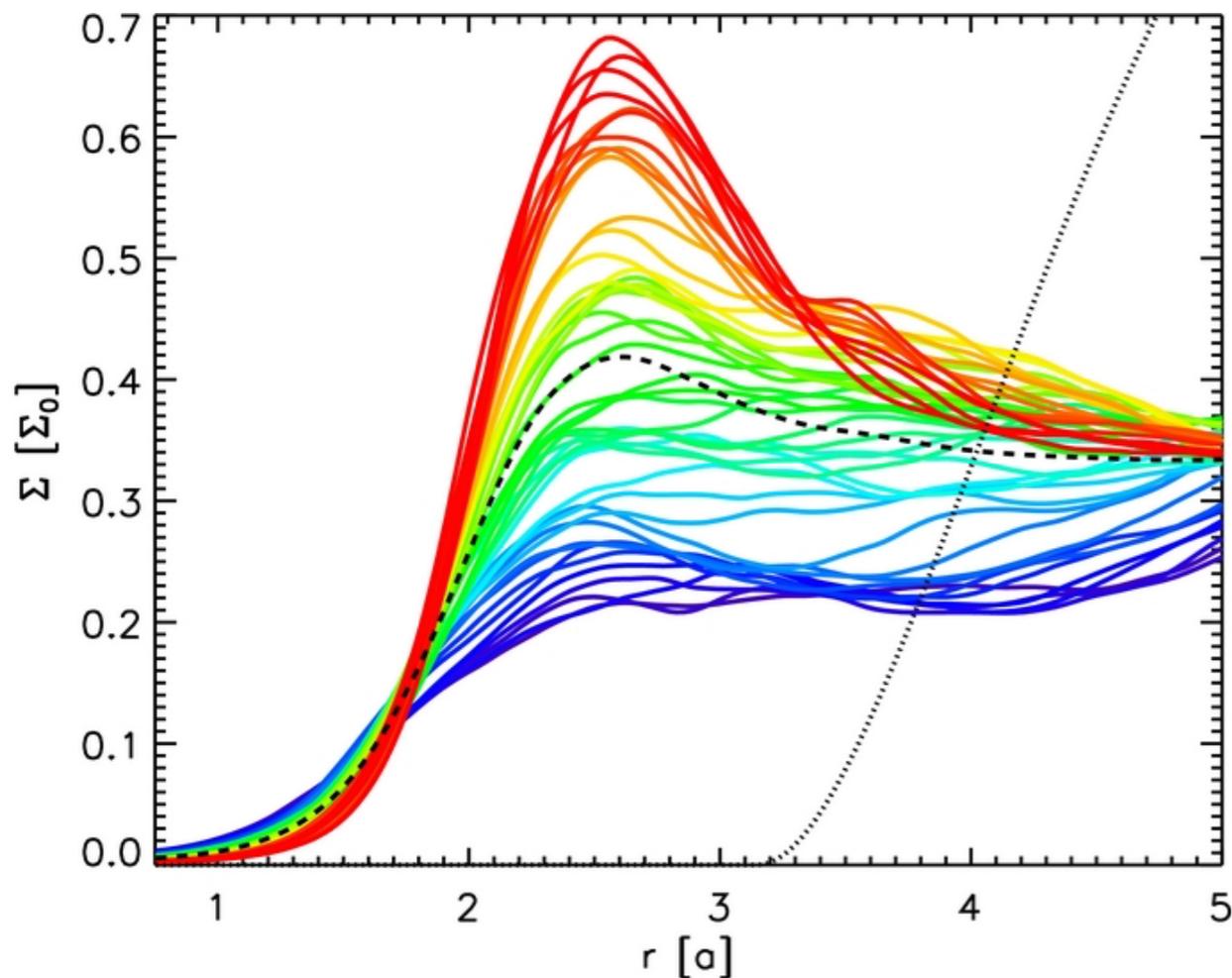
Supermassive Black Hole Binaries Form after Galaxy Mergers



Special Features of Binaries: Structural

Expect significant gas inflow in aftermath of galaxy merger, settling into a disk

For $q = M_2/M_1 > 4(h/r) (\int dz T_{r\phi} / \int dz p)^{1/2}$, a low surface density gap around the binary, and sometimes growing asymmetries near the outer disk's inner edge



Special Features of Binaries: Structural

When **prograde**, binary torques strong for $r/a < \sim 2$ \rightarrow surface density peak at $r/a \sim 2$ — 2.5 , but inflow continues across the gap (Farris et al. 2014, Shi & K 2015)

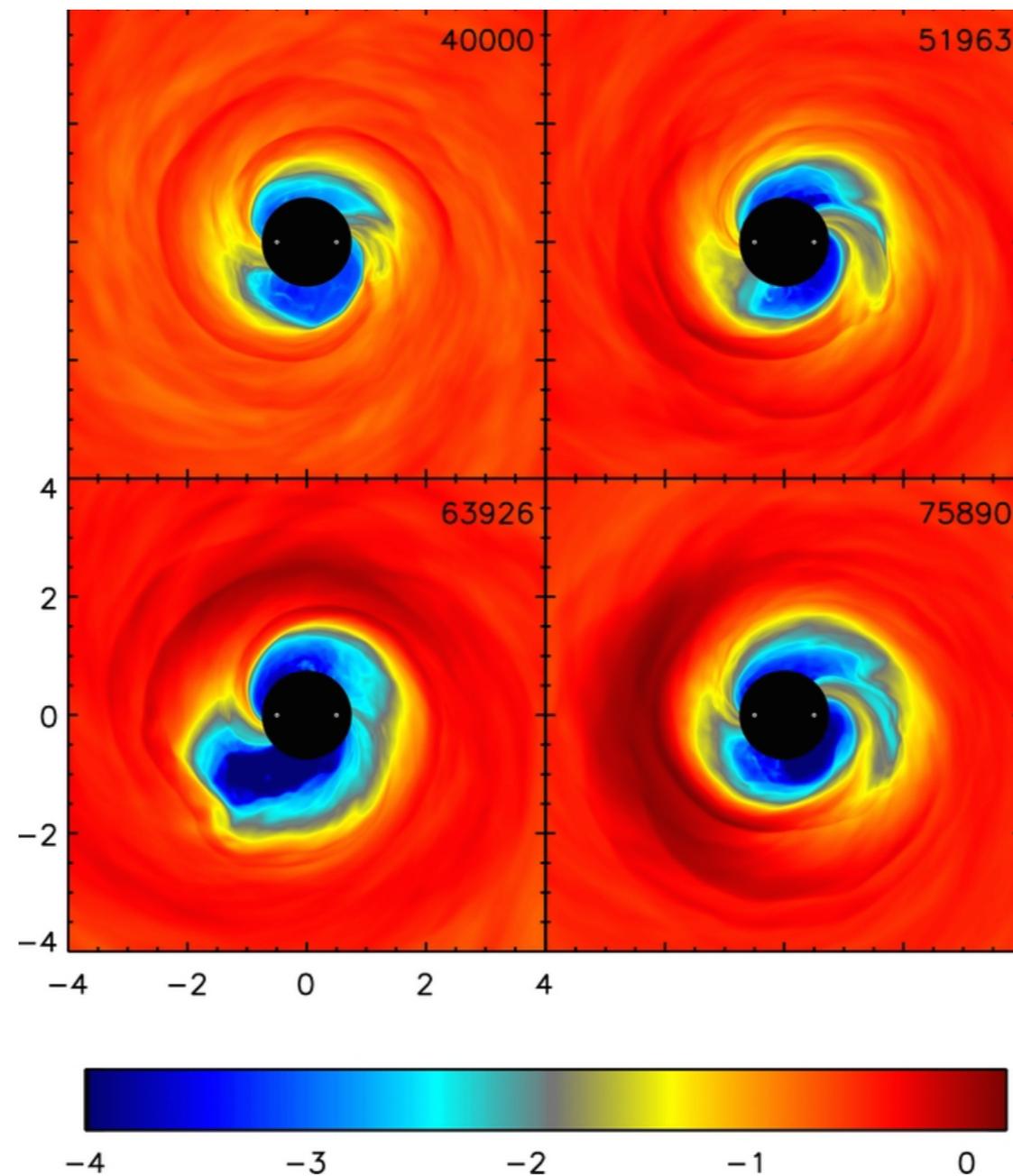
$e \rightarrow 0.6?$ (Roedig et al. 2012)

When **retrograde**, no torques \rightarrow disk edge at $r/a \sim (1+e)$; rapid increase in e until GW emission dominates evolution (Schnittman & K 2015)

Obliquity short-lived due to radially-varying quadrupole torques, precession-induced radial mixing (Scheuer & Feiler 1996, Miller & K 2013, Schnittman & K 2015)

Special Features of Binaries: Structural

Gas flows across gap in distinct streams, modulated on orbital period if $e > 1$ or inner circumbinary disk asymmetric



Special Features of Binaries: Structural

Accretion rate may be relatively large because associated with late stages of galactic mergers; no “damming” at inner edge of circumbinary disk

Majority of accretion flow acquired by secondary $\rightarrow q \rightarrow 1$ (Roedig & Sesana 2014, Farris et al. 2014)

“Mini-disks” can exist around each black hole within tidal limits $\rightarrow r_t/a \sim 0.3 Q^{0.3} (1-e)$ (Paczynski 1977, Sepinski et al. 2007)

Main energy release near and outside each black hole’s ISCO

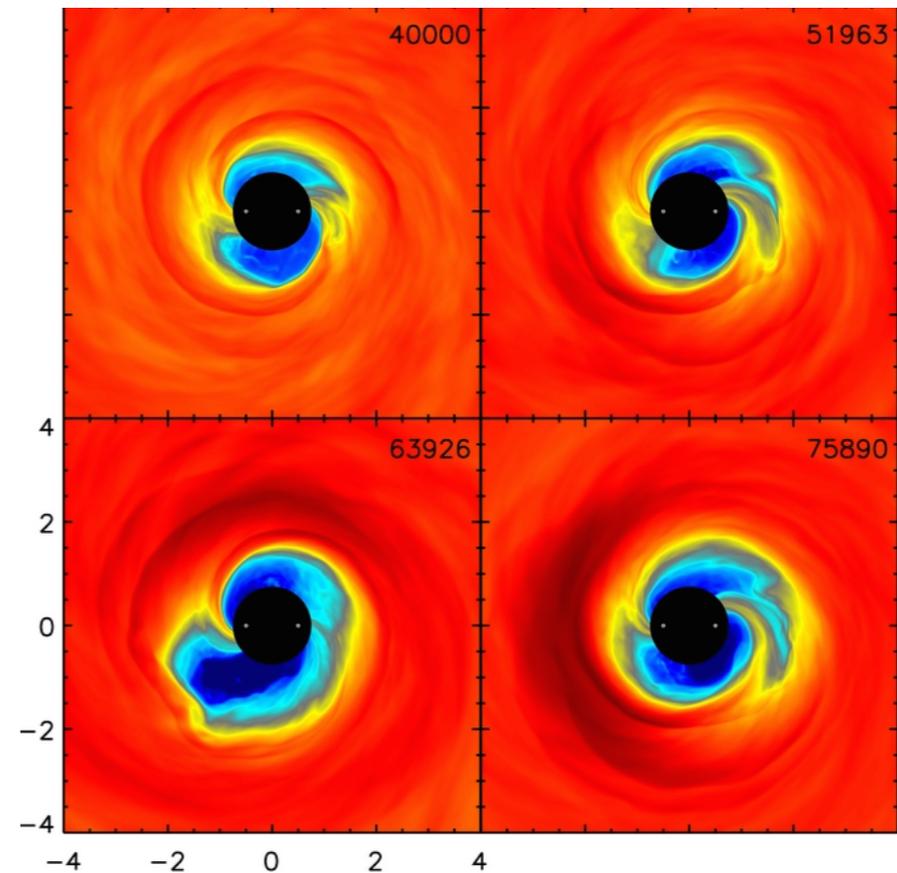
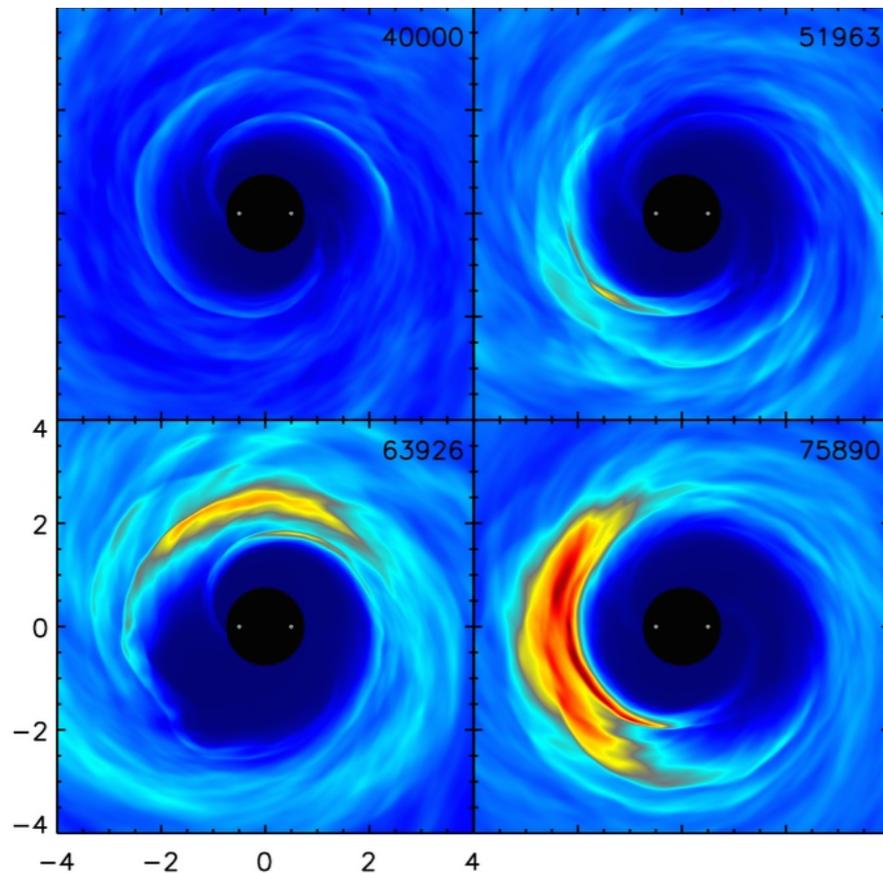
Potential Radiative Contrasts between Binaries and Solitaries

The gap:

Does low surface density imply low surface brightness and a spectral gap?

Streams shock against the mini-disks: a different radiation regime?

Torqued streams shock against the circumbinary disk: another different radiation regime?



Potential Radiative Contrasts between Binaries and Solitaries

Orbital modulation, either amplitude or frequency:

Affecting either of the two shock locations?

Fe K α from the mini-disks?

Optical emission lines, broad or narrow?

Accretion rate, therefore luminosity—in which band(s)?

Binary Modulation of Optical/UV Continuum

(Graham et al. 2015, Liu et al. 2015)

A few problems:

If modulation due to streams, the time to radiate is

if $r_t \gg r_{\text{ISCO}}$, $h/r \ll 1$ as usual;

$$t_{\text{inflow}} \sim [2\pi\alpha(h/r)^2]^{-1} (r_t/a)^{3/2} P_{\text{bin}} \gg P_{\text{bin}} \quad \alpha \equiv \int dz T_{r\phi} / \int dz p$$

if r_t isn't $\gg r_{\text{ISCO}}$, limited dissipation and therefore limited radiation;
and the system lifetime is

$$t_{\text{GW}} \sim 10(\eta_{\text{symm}}/0.25)^{-1} (a/10r_g)^4 M_7 \text{ hr}$$

If modulation due to orbit, $O(1)$ amplitude requires $v_{\text{orb}}/c \sim O(1)$

“Red” noise creates spurious periodicity $\sim 1/3$ duration

Orbital Frequency Modulation of Emission Lines

(Boroson & Lauer 2009, Dotti et al. 2009, Bogdanovic et al. 2009, Decarli et al. 2010, Liu et al. 2014)

Problem 1: How to distinguish line profile structure due to orbital motion from internal structure

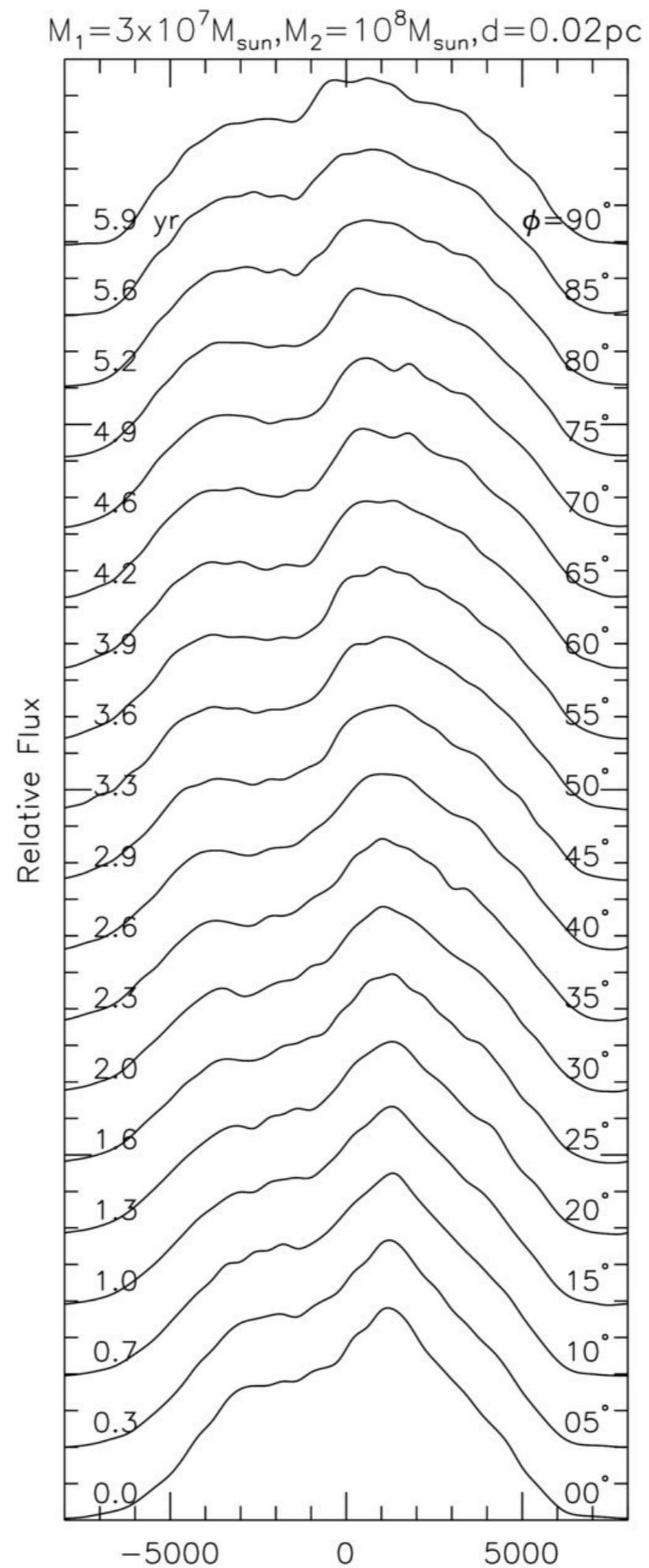
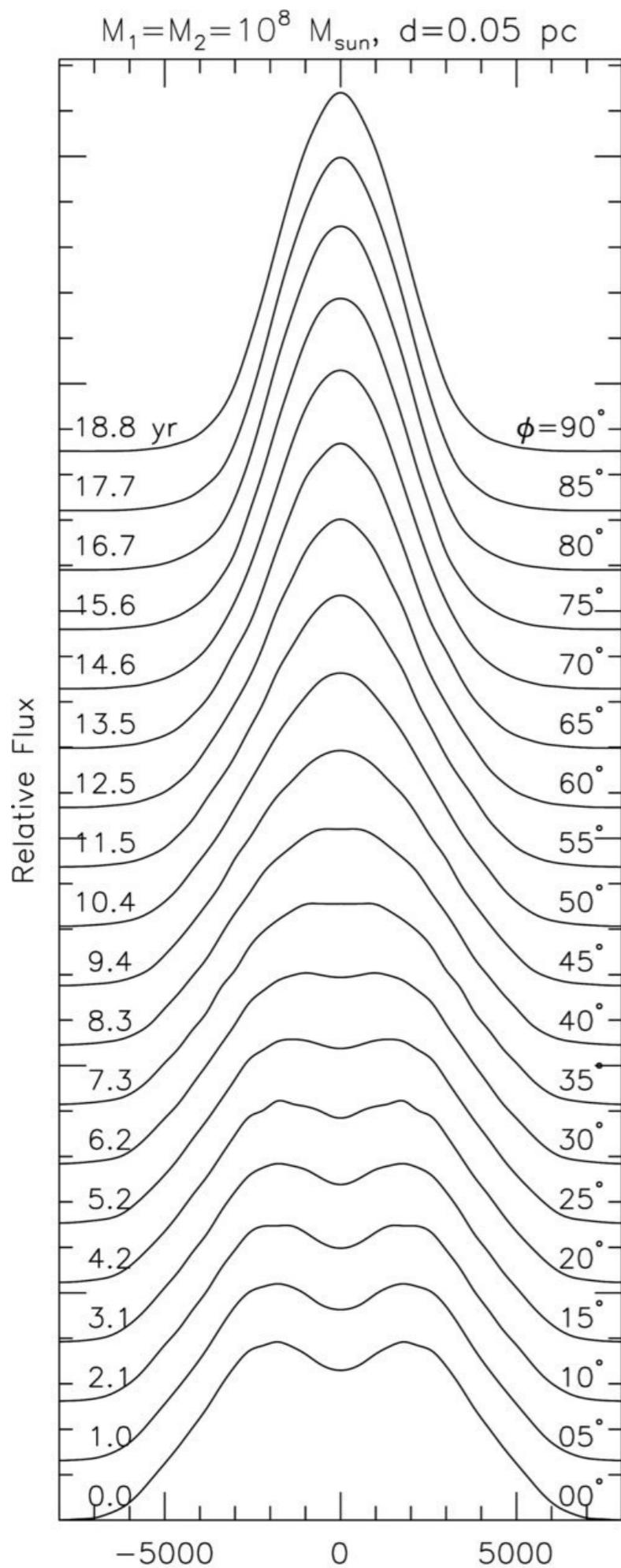
Problem 2: If broad line widths scale with orbital speed around one of the black holes, the line profiles almost always merge (Shen & Loeb 2010)

$$\Delta v_{\text{BLR}} = f [(1, 2)/(1 + q)]^{1/2} (GM/r_{\text{BLR}})^{1/2}$$

$$\Delta v_{\text{orb}} = v_{\text{orb}} \sin i = (GM/a)^{1/2} \sin i$$

To separate profiles requires $\Delta v_{\text{BLR}} < \Delta v_{\text{orb}}$, but binding each BLR to its own black hole requires $r_{\text{BLR}} < r_t$. Combining for $e=0$,

$$[f(1, q)/(1 + q)]^{1/2} < \Delta v_{\text{BLR}}/v_{\text{orb}} < \sin i$$



Best and more typical case as functions of orbital phase ($r_{\text{BLR}} = 0.5a, \sin i = 1$) (Shen & Loeb 2010)

Orbital Frequency Modulation of Fe K α

(McKernan & Ford 2015)

Line profiles are generically relativistically broad;
profile separation therefore requires $a/r_g < \sim 10\text{--}20$

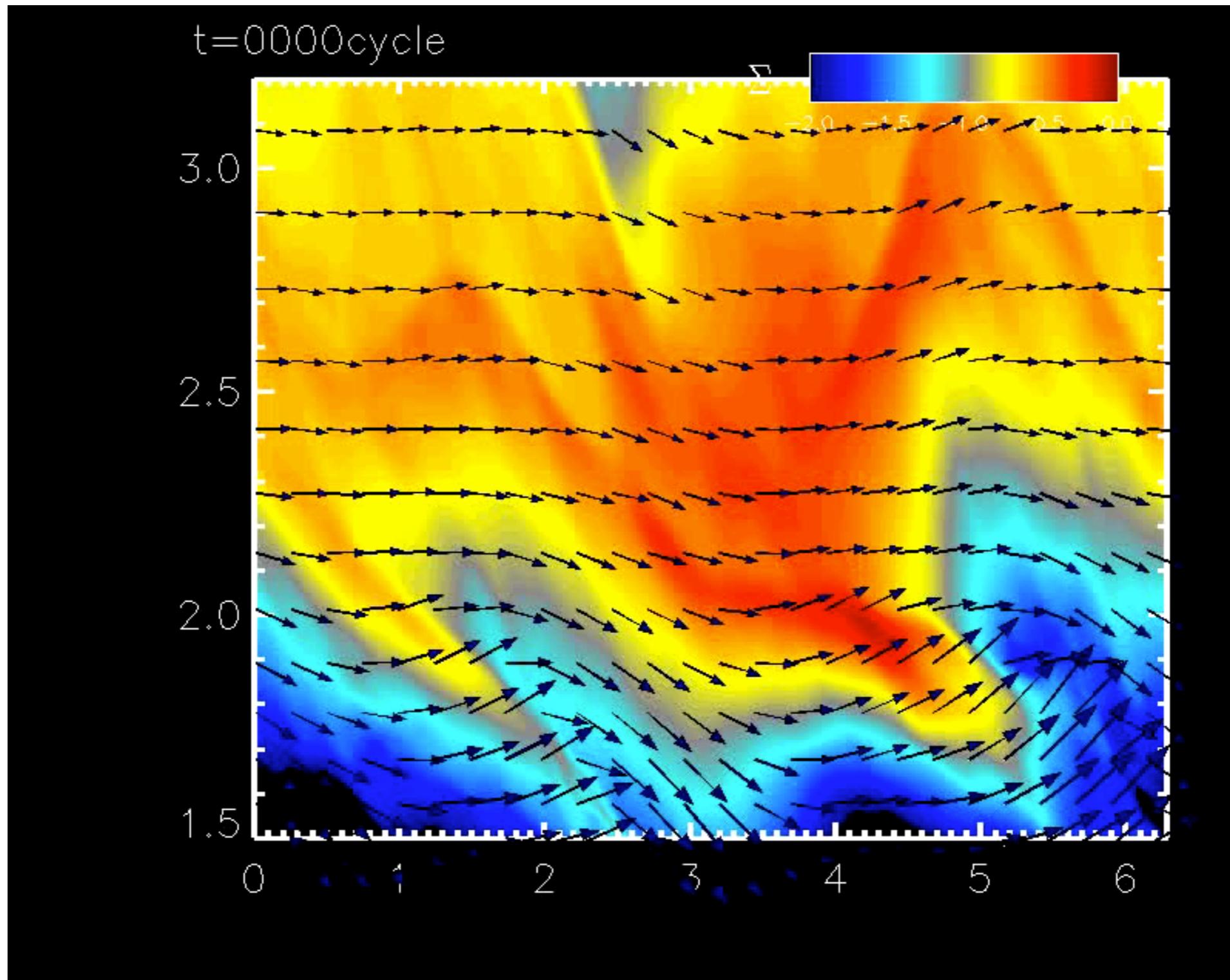
Periodicity essential to distinguish orbital effects from
intrinsic variations

But $P_{\text{orb}} = 3 (a/10r_g)^{3/2} M_7 \text{ hr}$, and S/N often
requires many hours of integration; in addition,

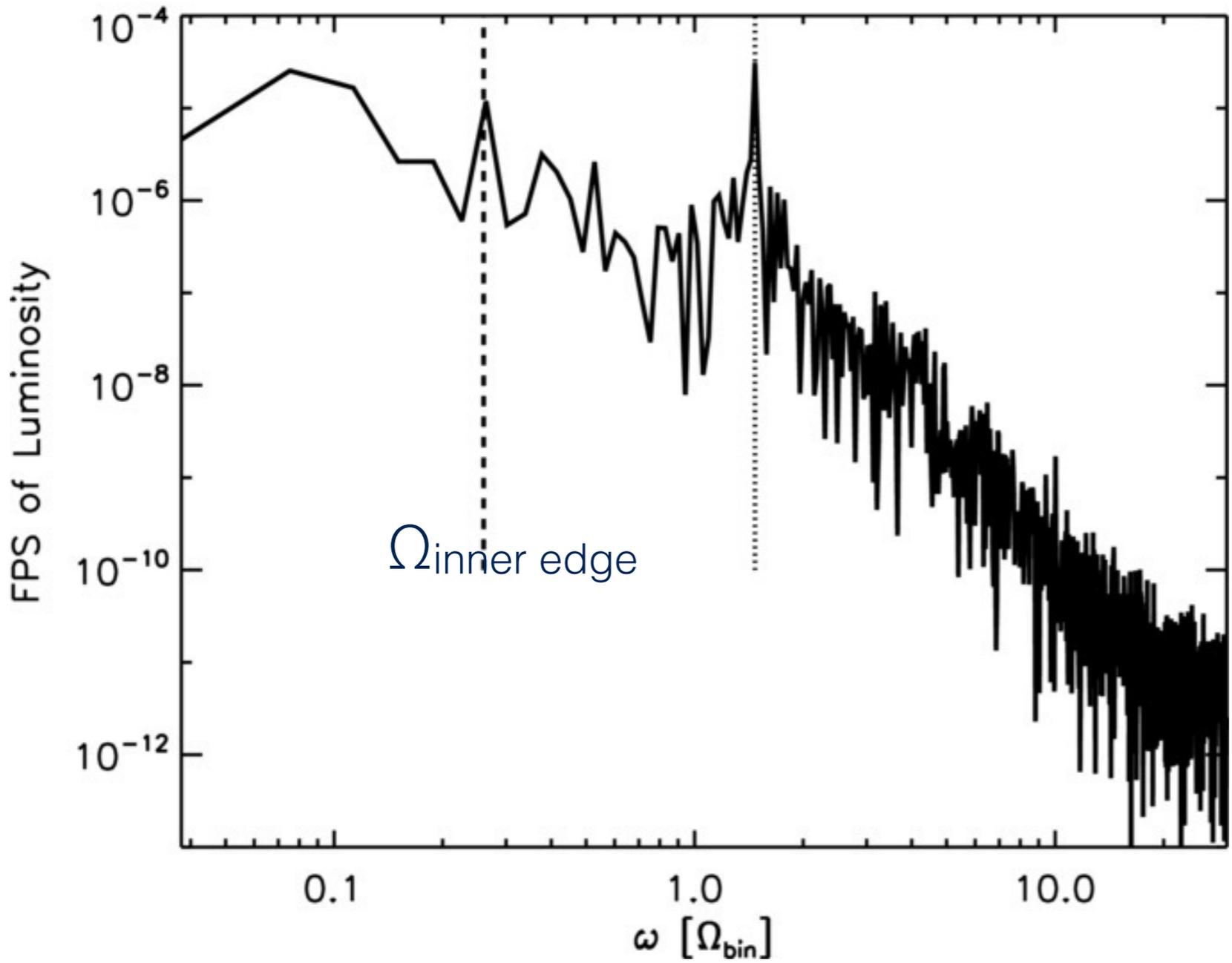
$$t_{\text{GW}} \sim 10(\eta_{\text{symm}}/0.25)^{-1} (a/10r_g)^4 M_7 \text{ hr}$$

Streams Shocking Against the Circumbinary Disk

(Shi et al. 2012, Noble et al. 2012)



Shocks Heat the Gas at a Frequency $\Omega_{\text{binary}} - \Omega_{\text{inner edge}}$



For $q=1, \omega = 2(\Omega_{\text{binary}} - \Omega_{\text{inner edge}})$

Maximum modulation amplitude $\sim r_{\text{isco}}/(2a)$; can be reduced if photon diffusion time $>$ period

Shocks where Streams Strike Inner Disks

(Roedig, K & Miller 2014)

Accretion streams join “mini-disks” around each black hole, with majority of accretion going to the secondary

Streams shock at edges of “mini-disks” with high temperature

$$T_{s1,2} \simeq 6 \times 10^{10} (a/100r_g)^{-1} (1+q)^{-1} (q^{0.3}, q^{0.7}) \text{ K}$$

assuming a circular binary, as GW likely enforces

But cool quickly

$$t_{\text{cool}} \Omega_{\text{mini}} \simeq 0.01 \dot{m}^{-1} (a/100r_g)^{-1/2} (1+q)^{-3/2} (q^{0.15}, q^{1.35})$$

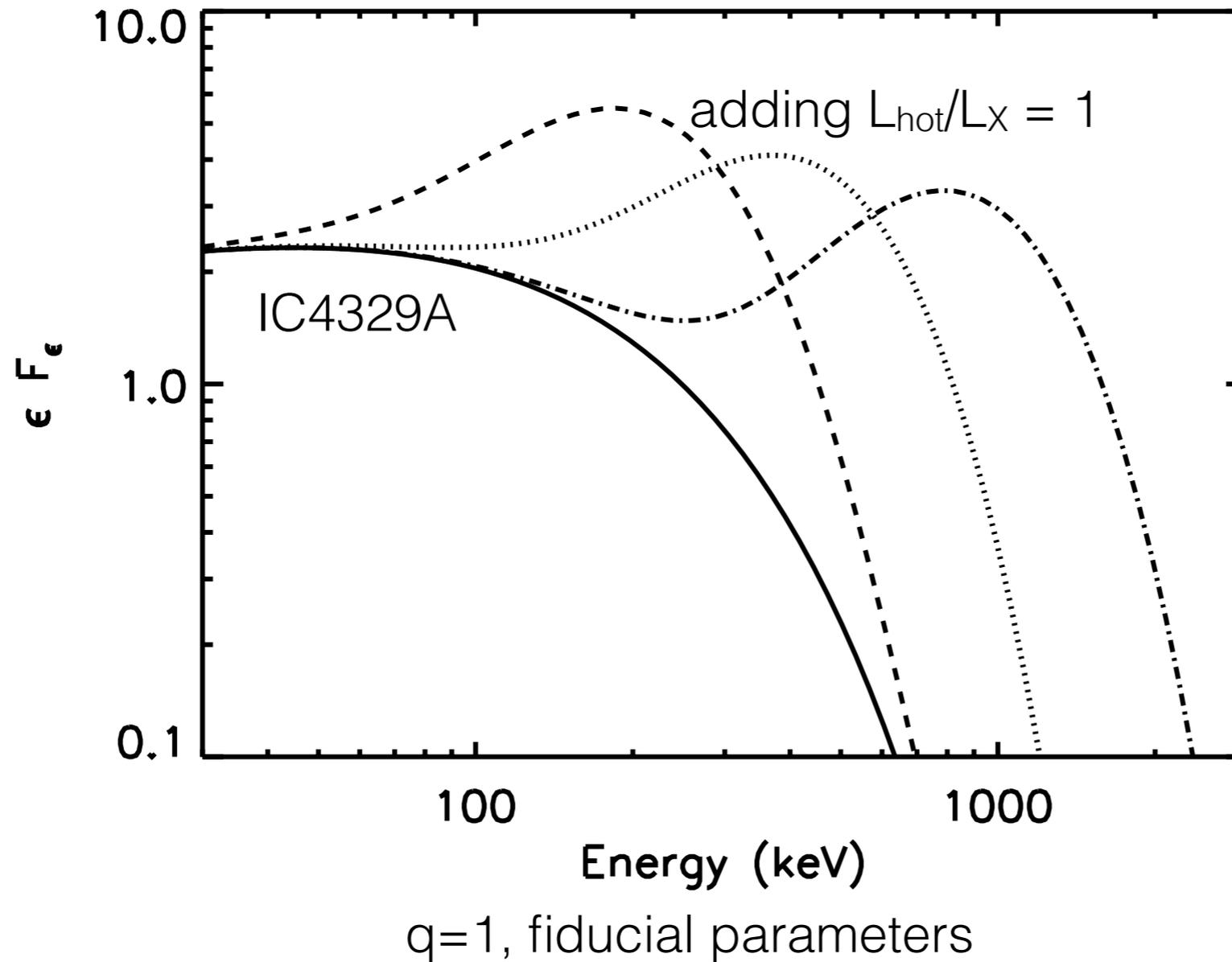
and brightly

$$L_{\text{hot}}/L_X \simeq 0.35 (a/100r_g)^{-1} (1+q)^{-1} (f_1 q^{0.3} + f_2 q^{0.7})$$

$$q \equiv M_2/M_1$$

$$f_{1,2} \equiv \dot{M}_{1,2}/\dot{M}_{\text{tot}}$$

Distinctive Very Hard X-ray Components



Expect modulation on the binary orbital period

Strong Hard X-ray Components As Merger Pointers

Phrased in terms of L_{hot}/L_X , detection of these shocks could point to a merger in not many years:

$$T_{\text{GW}} = (3/4)(1+z)(L_{\text{hot}}/L_X)^{-4} [q(1+q)^2]^{-1} (f_1 q^{0.3} + f_2 q^{0.7}) M_7 \text{ yr}$$

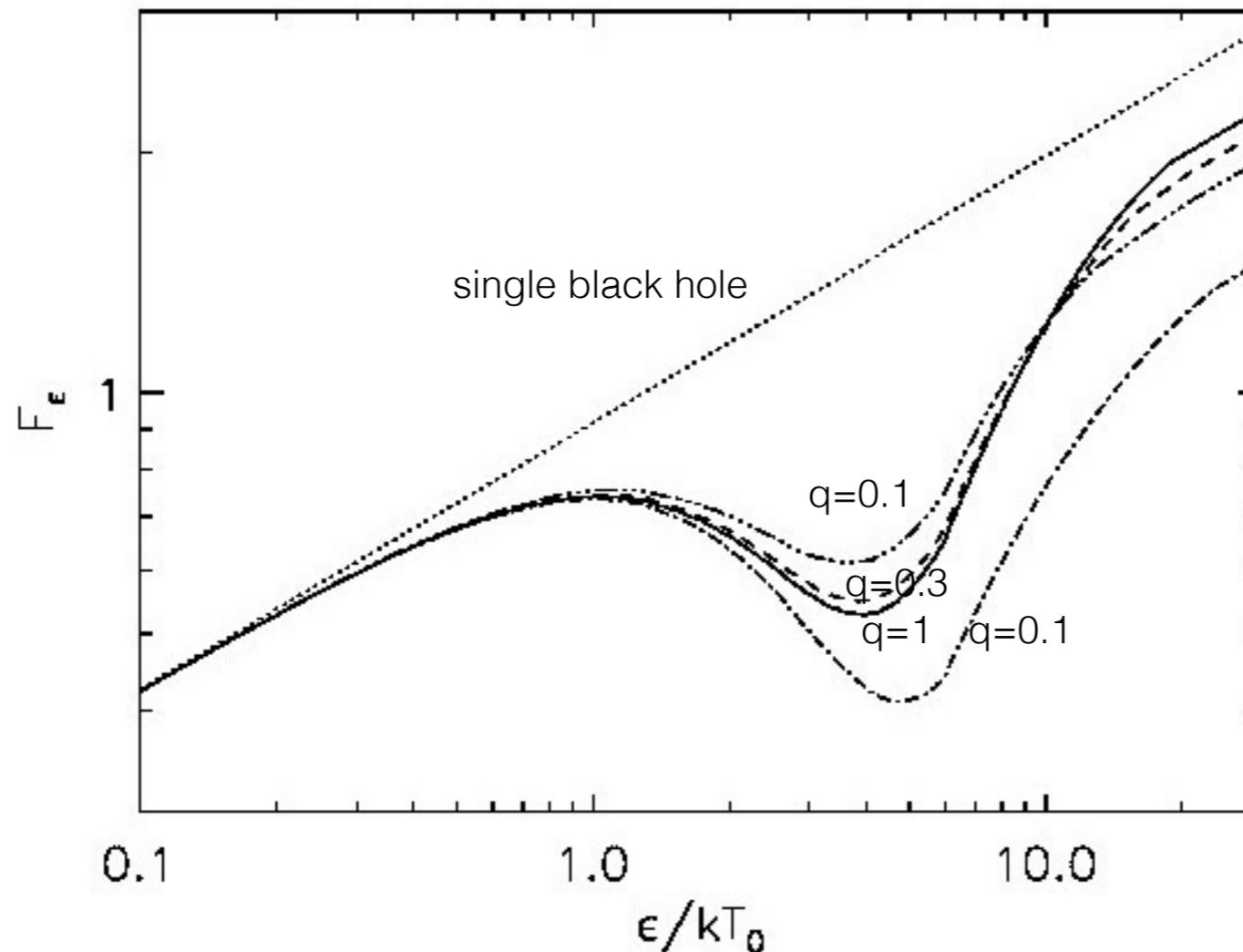
“Notches” Made by the Gap

(Roedig, K & Miller 2014)

See partial accounts in Roedig et al. 2012, Tanaka et al. 2012, Gultekin & Miller 2012, Kocsis et al. 2012, Tanaka & Haiman 2013, Tanaka 2013; also Farris et al. 2015

Absence of thermally-radiating material removes spectrum for a factor ~ 3 on either side of T_0

$$h\nu_0/4k_B \simeq 3.3 \times 10^4 \left[\dot{m}(\eta/0.1)^{-1} M_8^{-1} (a/100r_g)^{-3} \right]^{1/4} \text{ K}$$



$$\dot{m} \equiv L/L_E$$
$$\eta \equiv L/\dot{M}c^2$$

What Conditions Allow an Observable Notch?

Notch falls in middle of

visible band for $\dot{m}(\eta/0.1)^{-1}M_8^{-1}(a/100r_g)^{-3} \simeq 2 \times 10^{-3}(1+z)^4$

Notched quasar is bright enough if $\dot{m}M_8(a/100r_g)^{-1} \gtrsim 0.05$

And gives a somewhat greater lead-time:

$$T_{\text{GW}} \simeq 50(1+z)^{-13/3}q(1+q)^{-2}\dot{m}^{4/3}(hc/\lambda kT_0)^{16/3}(\lambda/5000\text{\AA})^{16/3}M_8^{-1/3} \text{ yr}$$

Photons from the Merger Proper?

Key uncertainty: quantity and location of gas immediately around the merging binary:

- Persistence of accretion through “decoupling” phase
- Inflow time in mini-disks vs. GW evolution time
- Fate of gas tidally-stripped from mini-disks by orbital compression
- Optical depth of gas can stretch post-merger cooling time well beyond GW emission; L_E characteristic timescale for electron scattering-regulated radiation in point-mass potential

Conclusions

- Orbital modulation harder to achieve than widely thought
- Emission line separation only in special cases
- Best bet distinctive features: spectral “notch” in optical/IR; hard X-ray bump: both found in last ~century—decades before merger